## Conformational analysis of sesquiterpene lactones of germacrane type 2. 1(10)Z,4Z-Germacranolides

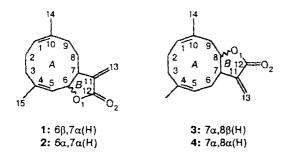
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The structure of 1(10)Z,4Z-germacranolides was studied by the method of rmolecular mechanics. Possible conformers, the probability of their existence, and barriers to conformational transitions were determined.

Key words: germacranolide, conformational analysis, molecular mechanics method.

Earlier we performed the conformational analysis for trans, trans-isomers of natural sesquiterpene lactones of the germacrane type. In a continuation of the structural studies of germacranolides, we present in this paper the results of conformational analysis for cis, cis-isomers. Z,Z-Isomers belong to the smallest subgroup of germacranolides; therefore, their structural studies are the least documented. The molecules of non-linear (1 and 2) and linear (3 and 4) 1(10)Z,4Z-germacranolides representing the main skeleton in this class of compounds were chosen as the model molecules for the conformational analysis:



## Computational Procedure

The conformational calculations of the molecules 1-4 were performed on a PC/AT-386 computer by the method of molecular mechanics, using the program MMX86 with the standard parameters implemented in the given version of the program. The geometries of conformers obtained for the molecules 1-4 were fully optimized. The barriers to, and pathways of, conformational transitions were simulated by a consecutive rotation of one or two respective sp<sup>3</sup>-sp<sup>3</sup>- or sp<sup>3</sup>-sp<sup>2</sup>-bonds with a 5° step and geometry optimization after each

## Results and Discussions

The following conformations of ten-membered ring are possible for 1(10)Z,4Z-germacranolides:  ${}_{15}D_5$ ,  ${}^{1}D^{14}$  (a),  ${}_{15}D_5$ ,  ${}_{1}D_{14}$  (b),  ${}^{15}D^5$ ,  ${}_{1}D_{14}$  (c), and  ${}^{15}D^5$ ,  ${}^{1}D^{14}$  (d)<sup>3</sup>. Optimization of the geometries of molecules 1—4 with the above conformations of ten-membered ring showed that all four theoretically possible conformations can exist in nonlinear trans-fused germacranolide 1. The most stable is the conformer of the series 1b in which the ring A has a boat-boat conformation of the type  ${}_{15}D_5$ ,  ${}_{1}D_{14}$  (the torsion angles in ten-membered ring are given in Table 1) (Fig. 1, a). This conformer is more stable than the others by 1.5—6.5 kcal mol<sup>-1</sup>, and the probability of its realization is 89.9% with no account of the entropy term.

In the case of cis-fused rings only e- and d-conformations are realized. Of them, the conformer 2c in which the ten-membered ring has a chair-halfchair conformation of the type  $^{15}D^5$ ,  $_1D_{14}$ \* is the most stable (see Fig. 1, b). The probability of the realization of conformation 2c is 96.2%.

Analysis of the literature data on the crystal structures of cis,cis-germacranolides revealed that the tenmembered diene ring in the two non-linear trans-fused germacranolides studied previously (langicorine  $A^4$  and metrozine  $A^5$ ) possessed chair-chair conformation of type  $_{15}D_5$  and  $^1D^{14}$  and boat-boat conformation of type  $_{15}D_5$  and  $_1D_{14}$  in the structure of Z,Z-khanfiline<sup>6</sup>, which

step. The initial conformers for the molecules 1-4 were chosen with the use of Dreiding molecular models.

<sup>\*</sup> For Part I, see Ref. 1.

<sup>\*</sup> The conformations are noted in analogy with 6-membered rings as if a bond exists between the atoms C(5) and C(10). It is necessary to note that these notations are arbitrary, because the distance C(5)...C(10) varies within the range of 3.5—5.0 Å, which substantially exceeds the C—C bond length.

| Con-<br>for-<br>mer | φ/deg           |      |      |    |      |     |      |      |      |      | E<br>/kcal mol <sup>-1</sup> | P (%) |
|---------------------|-----------------|------|------|----|------|-----|------|------|------|------|------------------------------|-------|
|                     | 1-2             | 2-3  | 34   | 45 | 56   | 6-7 | 7-8  | 8-9  | 9-10 | 10-1 | /                            |       |
| la                  | 122             | -123 | 67   | -1 | -109 | 143 | -79  | 85   | -97  | 2    | 26.7                         | 6.8   |
| 1b                  | -129            | 54   | 33   | 0  | -102 | 140 | -62  | -41  | 107  | I    | 27.5                         | 1.7   |
| 1c                  | -110            | 140  | -53  | Ī  | -48  | 148 | -68  | -62  | 93   | 2    | 27.9                         | 0.9   |
| 1 d                 | 61              | 60   | -89  | 2  | -46  | 124 | -67  | -67  | -112 | -1   | 28.8                         | 0.1   |
| la'                 | 96              | -157 | 96   | 0  | -68  | 113 | -138 | 117  | -71  | 0    | 28.2                         | 0.5   |
| 1b'                 | -64             | -44  | 110  | -1 | -100 | 120 | -66  | -47  | 123  | 2    | 25.2                         | 89.9  |
| lc'                 | -105            | 146  | -85  | 0  | 21   | 76  | -154 | 47   | 32   | 0    | 31.7                         | < 0.1 |
| 2c                  | -86             | 89   | -92  | 0  | 120  | -27 | -47  | 39   | 121  | 3    | 26.4                         | 96.2  |
| 2d                  | 111             | -42  | -66  | -1 | 122  | -35 | -70  | 115  | -100 | 2    | 28.5                         | 2.6   |
| 2c′                 | -115            | 104  | -78  | ı  | 111  | -41 | -89  | 36   | 71   | -1   | 29.9                         | 0.2   |
| 2c"                 | -50             | 139  | -111 | -2 | 81   | -48 | -78  | 155  | -52  | 2    | 32.8                         | < 0.1 |
| 2ď                  | 40              | 44   | -126 | 0  | 103  | -30 | -69  | 145  | -112 | 0    | 29.1                         | 0.9   |
| 3a                  | 120             | -129 | 71   | -1 | -102 | 142 | -82  | 90   | -91  | 2    | 27.8                         | 43.4  |
| 3b                  | -132            | 63   | 26   | -1 | -95  | 147 | -81  | -31  | 95   | 1    | 30.4                         | 0.5   |
| 3c                  | -114            | 137  | -48  | i  | -45  | 150 | -82  | -51  | 87   | -2   | 31.2                         | 1.0   |
| 3d                  | 62              | 39   | -124 | -2 | 44   | 48  | -122 | 114  | -105 | 0    | 30.6                         | 0.4   |
| 3a′                 | 97              | -157 | 96   | i  | -70  | 111 | -136 | 119  | -71  | 0    | 28.1                         | 25.9  |
| 3b'                 | <del>~6</del> 5 | ~48  | 114  | 0  | -90  | 117 | -84  | -31  | 112  | 2    | 28.7                         | 9.3   |
| 3c'                 | -101            | 141  | -98  | 0  | 40   | 51  | -152 | 45   | 43   | 0    | 28.3                         | 18.4  |
| 3d'                 | 100             | -10  | -93  | -2 | 58   | 56  | -122 | 89   | -88  | 2    | 29.6                         | 2.0   |
| 48                  | 90              | -95  | 91   | -1 | -131 | 59  | 16   | 52   | -124 | -1   | 25.7                         | 95.5  |
| 4b                  | -113            | 21   | 67   | ī  | -133 | 104 | -22  | -59  | 118  | -2   | 30.2                         | < 0.1 |
| 4c                  | -92             | 152  | -70  | i  | -51  | 127 | -33  | -89  | 93   | -2   | 33.2                         | <0.1  |
| 4a'                 | 59              | -144 | 101  | 2  | -92  | 75  | 46   | -143 | 57   | ~2   | 31.6                         | < 0.1 |
| 4b'                 | -34             | -51  | 123  | -[ | -111 | 55  | 44   | -138 | 113  | ī    | 29.8                         | 1.0>  |
| 4b"                 | -69             | -29  | 108  | 3  | -115 | 97  | -34  | -64  | 133  | -1   | 27.5                         | 4.3   |
| 4c'                 | -69             | 144  | -101 | 2  | -23  | 98  | -31  | -110 | 105  | -1   | 32.4                         | 1.0>  |

**Table 1.** Torsion angles  $(\phi)$  in the ten-membered ring, conformational barriers (E), and the probability (P) of realization of conformers in molecules 1-4

agrees well with the results of the calculation. Structural data for other Z,Z-germacranolides are absent.<sup>7</sup>

All four canonical conformers having the conformations **a**—**d** of ring A are possible with different probabilities for the linear molecule 3, while three main conformers having the conformations **a**, **b**, and **c** are possible for compound 4 (see Table 1). The prediction that conformer 4d cannot exist is based on a probable steric

repulsion of the Me-group at the atom C(10) by  $\beta$ -axial-directed O(1) atom of the lactone. It is worth noting that the population of the family of conformational states **2**—**d** is more uniform for molecule 3, where conformer 3a dominates, while conformer 4a with a ten-membered ring in the chair-chair conformation of the type  $_{15}D_5$ ,  $^1D^{14}$  dominates (the probability of its realization equals to 95.5%) (Fig. 2). Thus, the type and

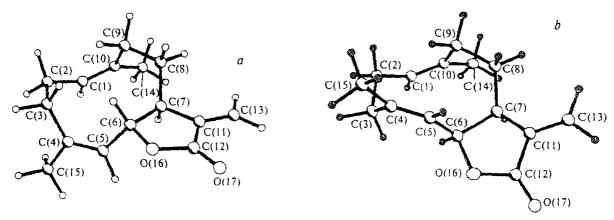


Fig. 1. The most stable conformers of molecules 1 (a) and 2 (b).

b

O(17)

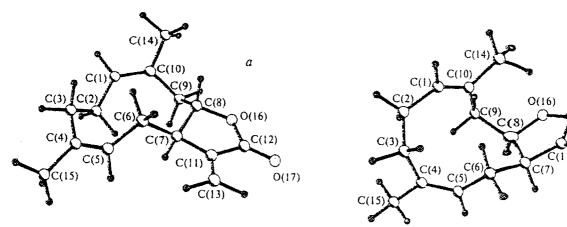


Fig. 2. The most stable conformers of molecules 3 (a) and 4 (b).

the position of fusion of ten-membered and lactone cycles play an important role in the realization of different conformers of  $Z_1Z_2$  germacranolides.

Having determined the main conformers, we considered the conformational transitions in compounds 1-4 and estimated their energetic barriers ( $\Delta E^*$ ). The conformational transitions in ten-membered rings can be simulated by successive rotation of fragments containing endocyclic double bonds, C(1)=C(10) and C(4)=C(5). The optimal transition barriers were found to occur at the angles presented in Figs. 3 and 4. The variations of

other torsion angles at the double bonds lead to higher values of  $\Delta E^*$  or the transitions do not take place at all.

As can be seen from Figs. 3 and 4, the barriers to conformational transitions vary within wide limits: 1.7—14.8 kcal mol<sup>-1</sup> for molecule 1, 9.1—11.2 kcal mol<sup>-1</sup> for 2, 0.9—11.8 kcal mol<sup>-1</sup> for 3, and 5.9—9.2 kcal mol<sup>-1</sup> for 4. Local minima corresponding to subconformers of the main states are observed for some conformational transitions. As a rule, the probability of their realization does not exceed 2%, excluding subconformers 1b', 3a', 3b', 3c', and 4b", which are in-

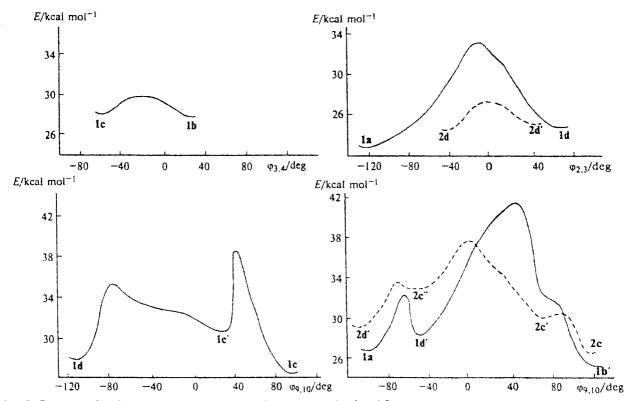


Fig. 3. Energy profiles for the conformational transitions in molecules 1 and 2.

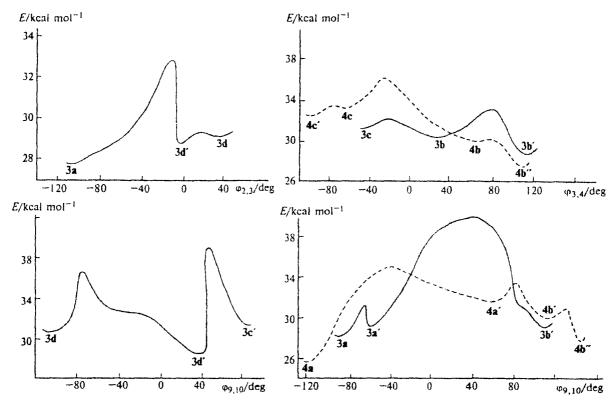


Fig. 4. Energy profiles for the conformational transitions in molecules 3 and 4.

volved in the cycle of transitions  $\mathbf{a}-\mathbf{b}-\mathbf{c}-\mathbf{d}-\mathbf{a}$ . Subconformer 1b' is more stable than the main conformer 1b by 1.5 kcal mol<sup>-1</sup>.

To conclude, the probabilities of the realization of different conformers of linear and non-linear Z,Z-germa-cranolides are estimated with the use of model molecules 1-4; the pathways and energies of conformational transitions are calculated in the first approximation.

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